

# A?

Aalto University  
School of Electrical  
Engineering

## Effect of solar wind speed and IMF fluctuations on activity indices

*Tuija I. Pulkkinen, Andrew Dimmock, Adnane Osmane, Reza Naderpour  
Aalto University, Department of Radio Science and Engineering, Espoo, Finland*

*Katariina Nykyri  
Embry Riddle Aeronautical University, Daytona Beach, FL, USA*

# Solar wind driver functions

## Electric field

- Reconnection rate in antiparallel reconnection
- (*Burton et al., 1975*)

$$E_Y = -VB_Z$$

## Epsilon

- Incident Poynting flux at magnetopause
- (*Akasofu, 1981*)

$$\epsilon = 10^7 l_0^2 V B^2 \sin^4\left(\frac{\theta}{2}\right)$$

## Universal coupling function

- Merging rate at magnetopause
- (*Newell et al., 2007*)

$$\left(\frac{d\phi}{dt}\right)^{3/4} = VB_T^{1/2} \sin^2\left(\frac{\theta}{2}\right)$$

## Parallel E-field

- Electric field along large-scale X-line
- (*Pulkkinen et al., 2010*)

$$E_{PAR} = VB \sin\left(\frac{\theta}{2}\right)$$

# Solar wind driver functions

## Primary driver variables

- Solar wind speed
- Interplanetary magnetic field (IMF) magnitude and orientation

## Driver properties

- Separation of variables  
 $F(\mathbf{B}, V) = \mathbf{f}(V) \mathbf{g}(\mathbf{B})$
- Mean + fluctuation term  
 $\mathbf{f}(V) = \langle \mathbf{f}(V) \rangle + \delta \mathbf{f}(V)$   
 $\mathbf{g}(\mathbf{B}) = \langle \mathbf{g}(\mathbf{B}) \rangle + \delta \mathbf{g}(\mathbf{B})$

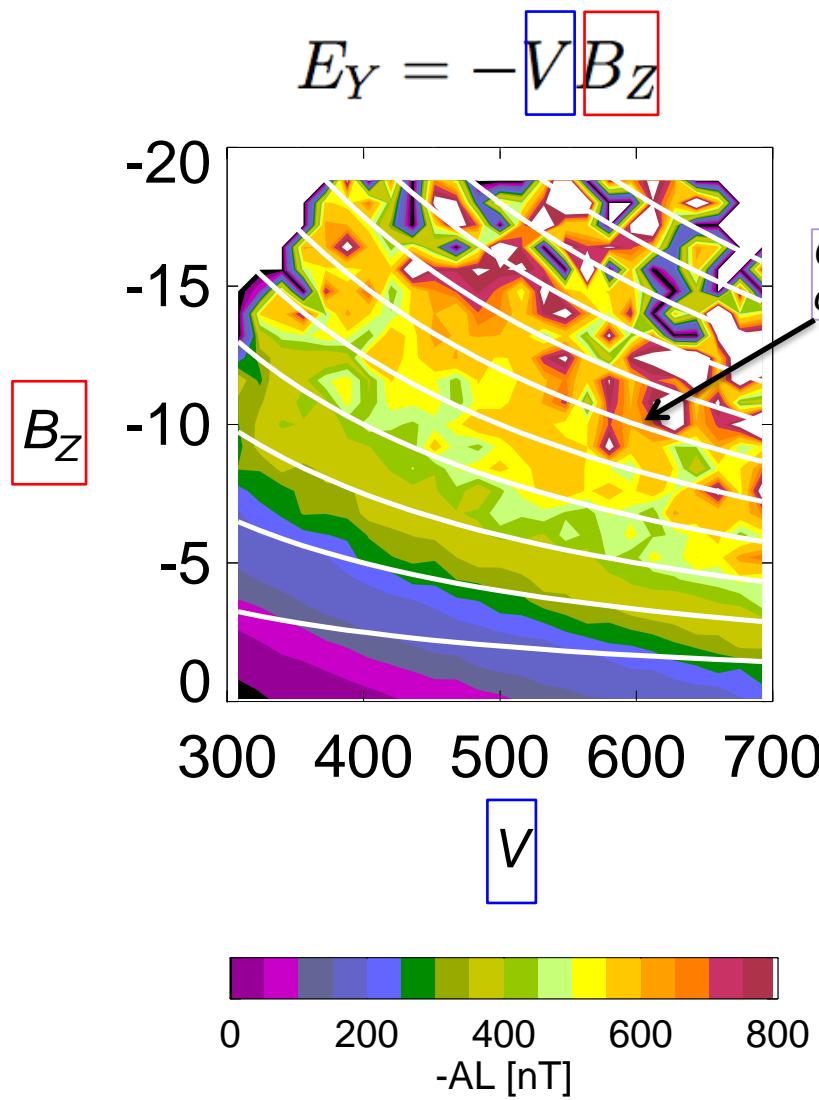
$$E_Y = -V \boxed{B_Z}$$

$$\epsilon = 10^7 l_0^2 V \boxed{B^2} \sin^4\left(\frac{\theta}{2}\right)$$

$$\left(\frac{d\phi}{dt}\right)^{3/4} = V \boxed{B_T^{1/2}} \sin^2\left(\frac{\theta}{2}\right)$$

$$E_{PAR} = V \boxed{B} \sin\left(\frac{\theta}{2}\right)$$

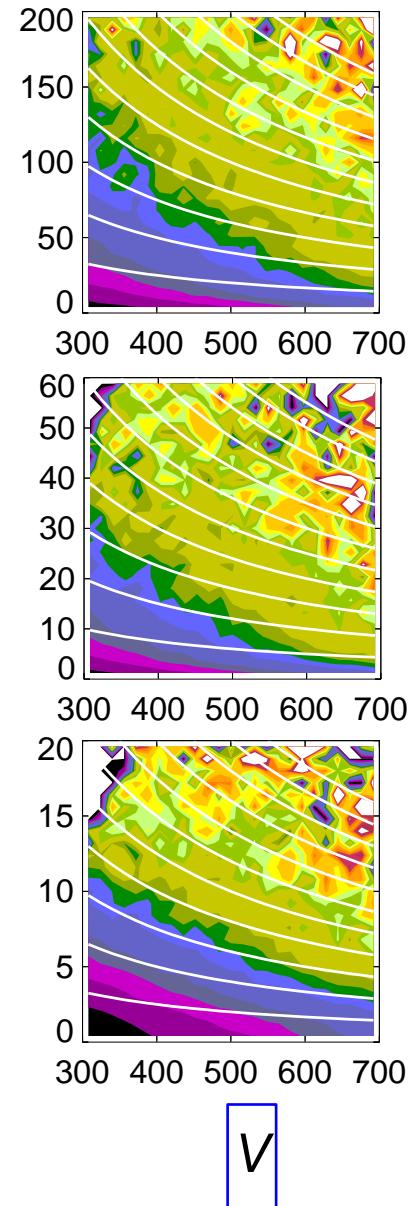
# Higher $V$ produces stronger $AL$



$$\epsilon = 10^7 l_0^2 V B^2 \sin^4\left(\frac{\theta}{2}\right)$$

$$\left(\frac{d\phi}{dt}\right)^{3/4} = V B_T^{1/2} \sin^2\left(\frac{\theta}{2}\right)$$

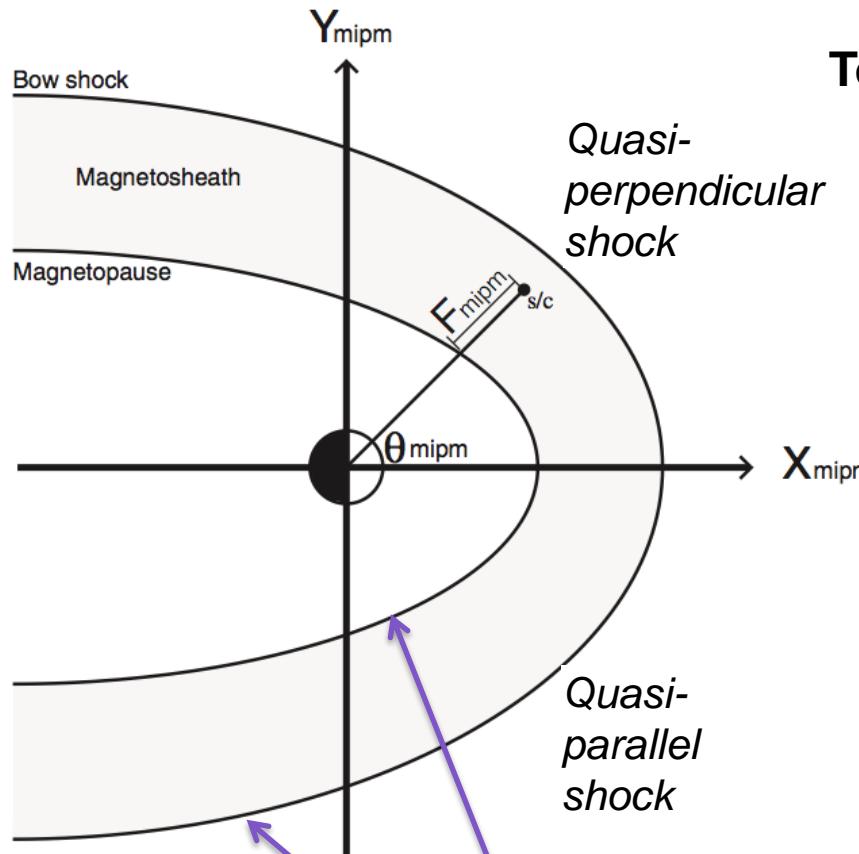
$$E_{PAR} = V B \sin\left(\frac{\theta}{2}\right)$$



OMNI hourly averages 1963-2013

# Themis statistical analysis

## *Shock – magnetosheath coordinate system*



**Tool to organize data with respect to**

- upstream conditions and
- magnetospheric boundaries

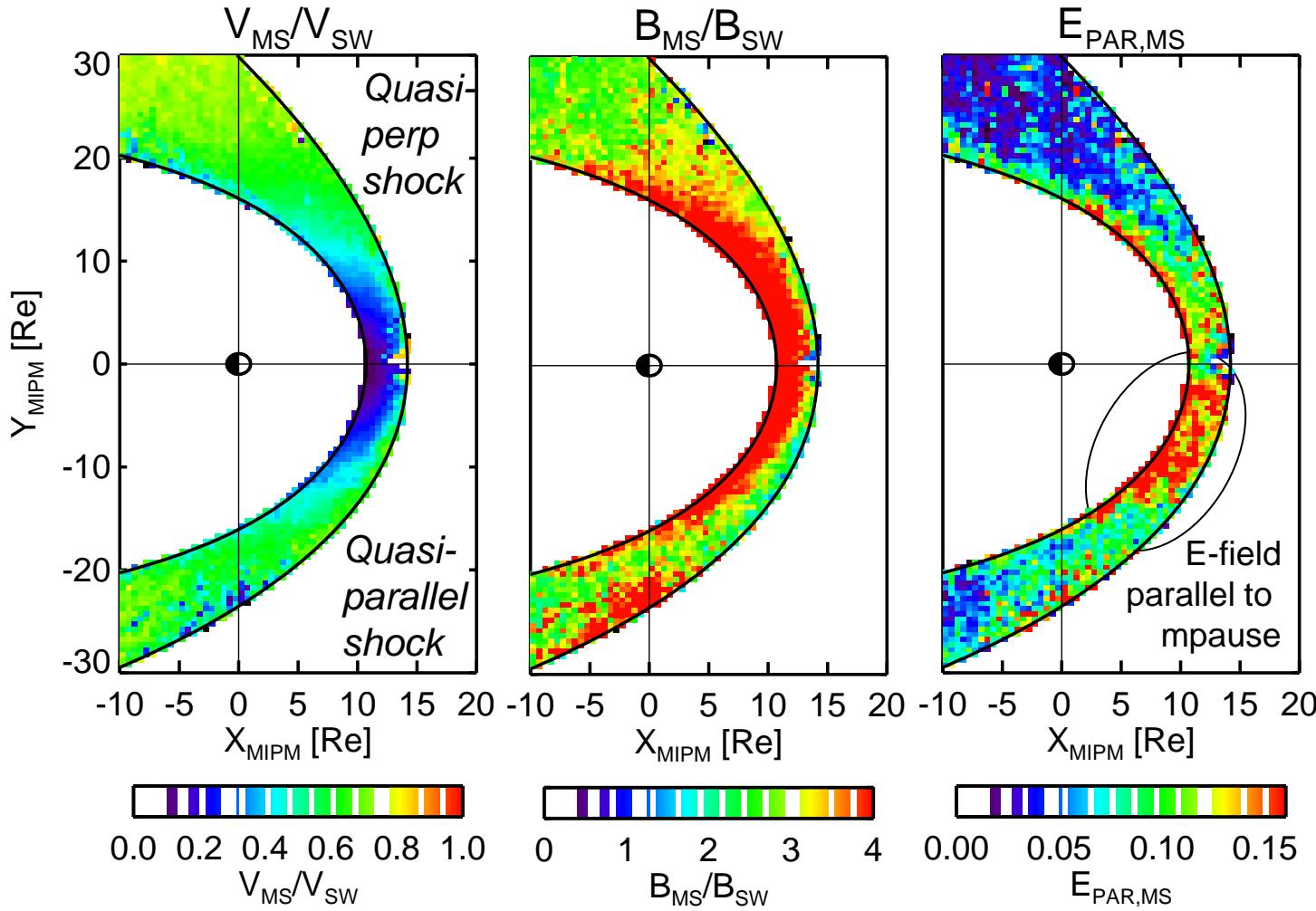
$$\hat{\mathbf{e}}_x = -\frac{\mathbf{V}}{|\mathbf{V}|}$$

$$\hat{\mathbf{e}}_y = -\text{sign}(\mathbf{B} \cdot \hat{\mathbf{e}}_x) \frac{\mathbf{B} - B_{\hat{\mathbf{e}}_x} \hat{\mathbf{e}}_x}{|\mathbf{B} - B_{\hat{\mathbf{e}}_x} \hat{\mathbf{e}}_x|}$$

$$\hat{\mathbf{e}}_z = \hat{\mathbf{e}}_x \times \hat{\mathbf{e}}_y$$



# Plasma after shock crossing: *Electric field largest at quasi-parallel side*



- **Speed** reduced at subsolar region
- **Magnetic field** enhanced at subsolar region
- **Electric field** parallel to magnetopause only a fraction of solar wind  $E_y$

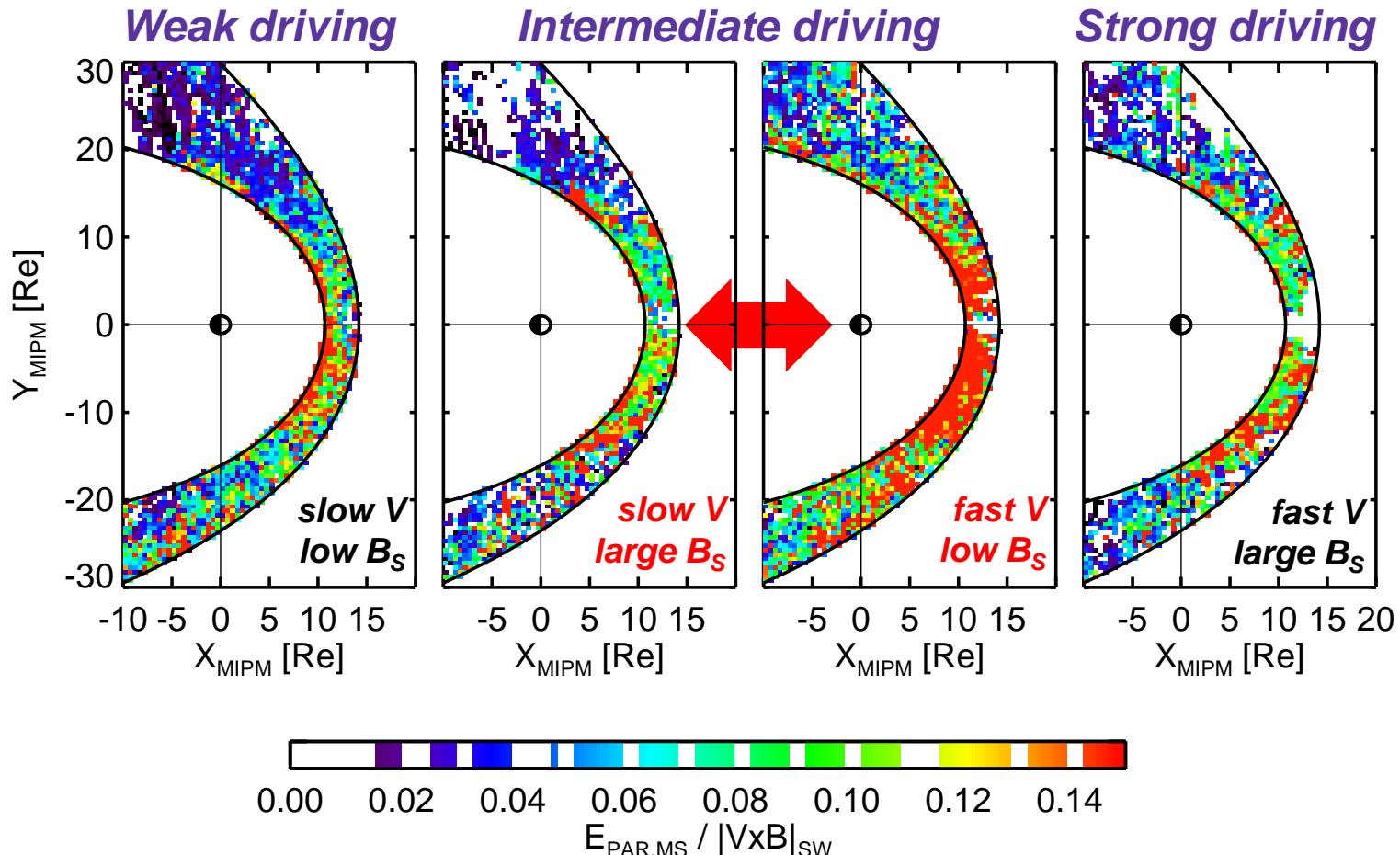
# Plasma after shock crossing: *Examine different solar wind $V, B$ -combinations*

	<i>Small E</i>	<i>Intermediate E</i>	<i>Strong E</i>
$V_{SW}$	< 400	< 400 > 400	> 400
$B_S$	$-2.5 < B_Z < 0$  <i>slow V</i> <i>low <math>B_S</math></i>	$< -2.5$ $-2.5 < B_Z < 0$  <i>slow V</i> <i>large <math>B_S</math></i>	$< -2.5$  <i>fast V</i> <i>low <math>B_S</math></i>

Only negative IMF  $B_Z$  observations included

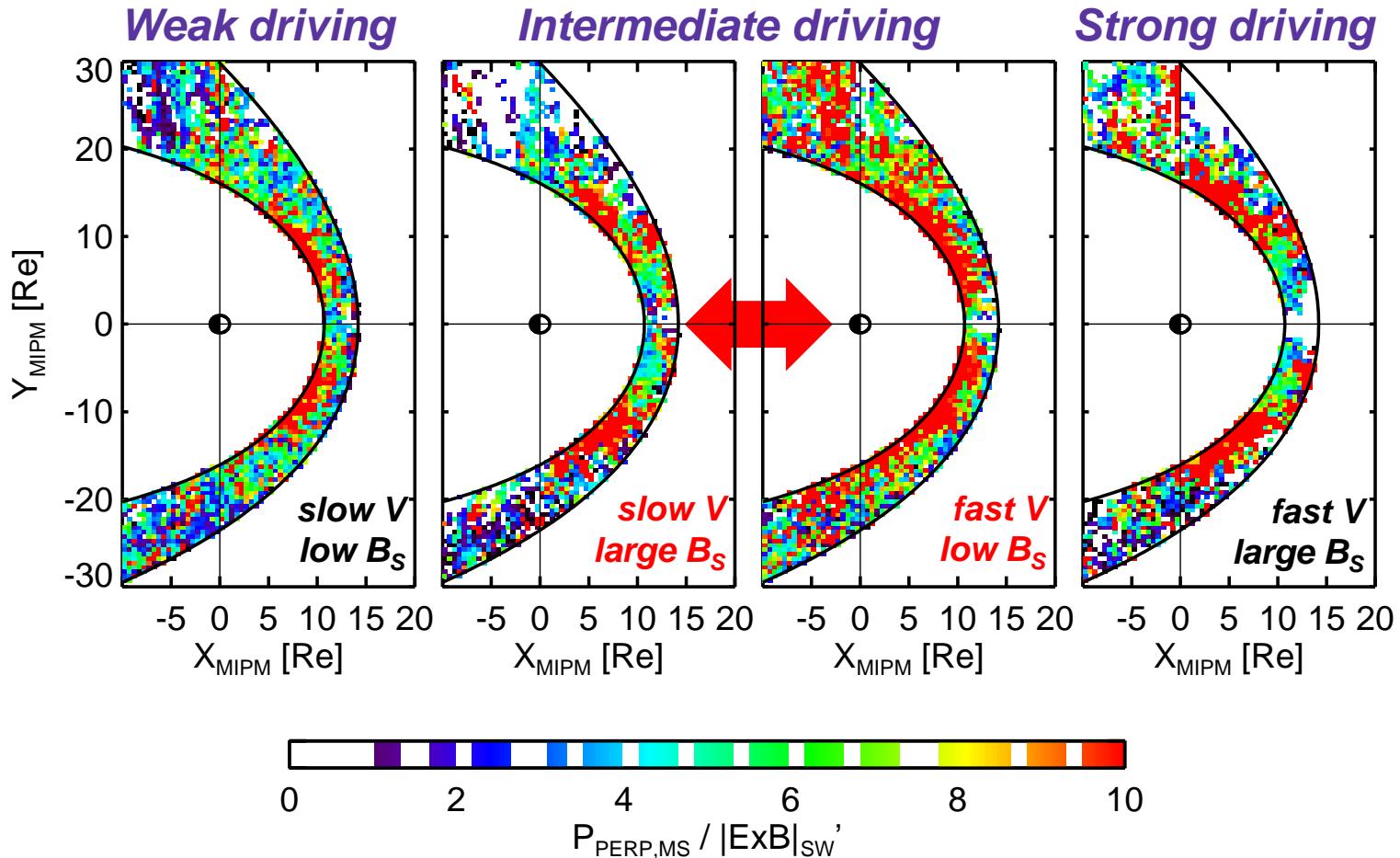
# Plasma after shock crossing: *Moderate driver with high V most efficient*

Electric field parallel to magnetopause, scaled by upstream average

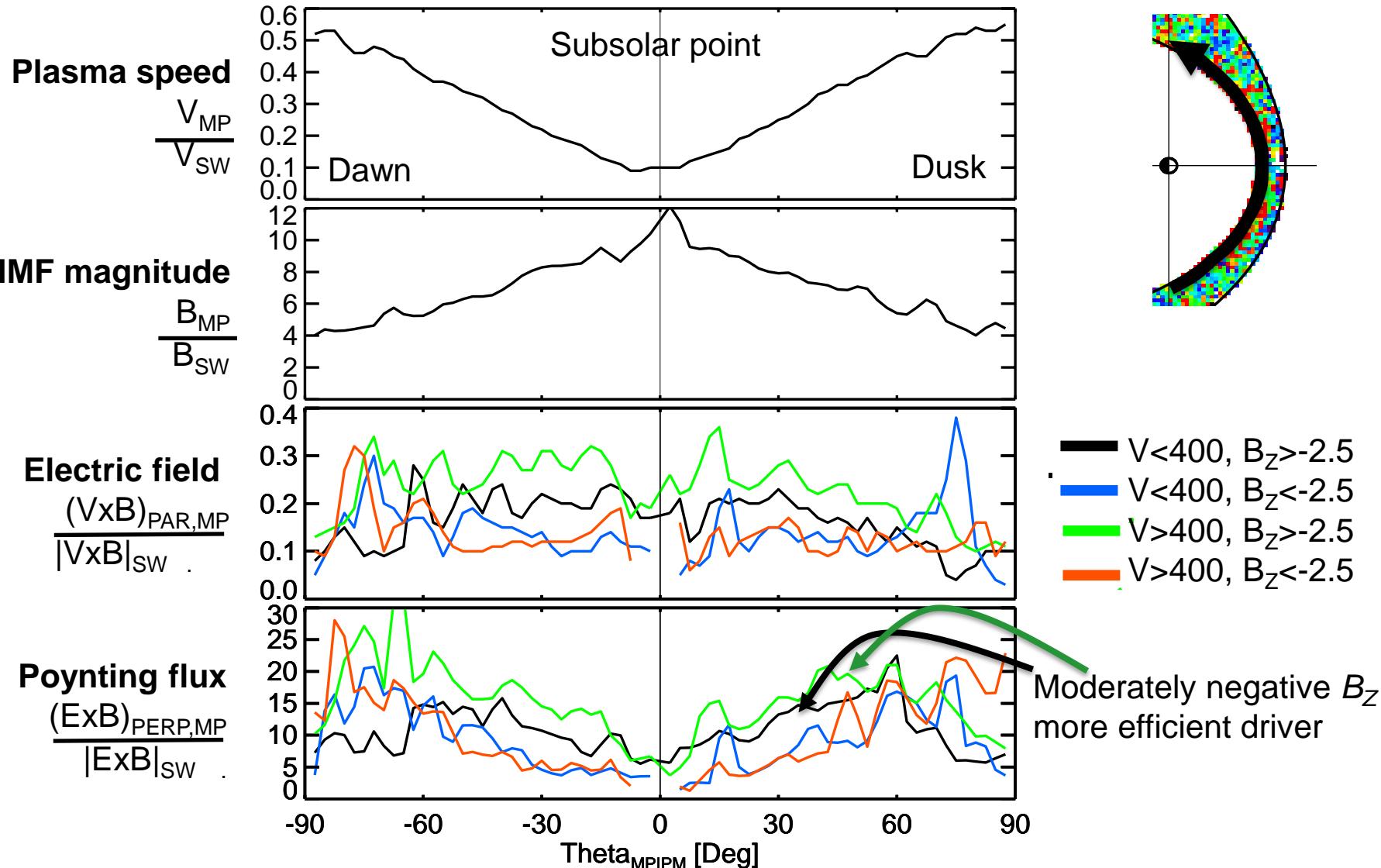


# Plasma after shock crossing: *Moderate driver with high V most efficient*

Poynting flux perp to magnetopause, scaled by upstream value

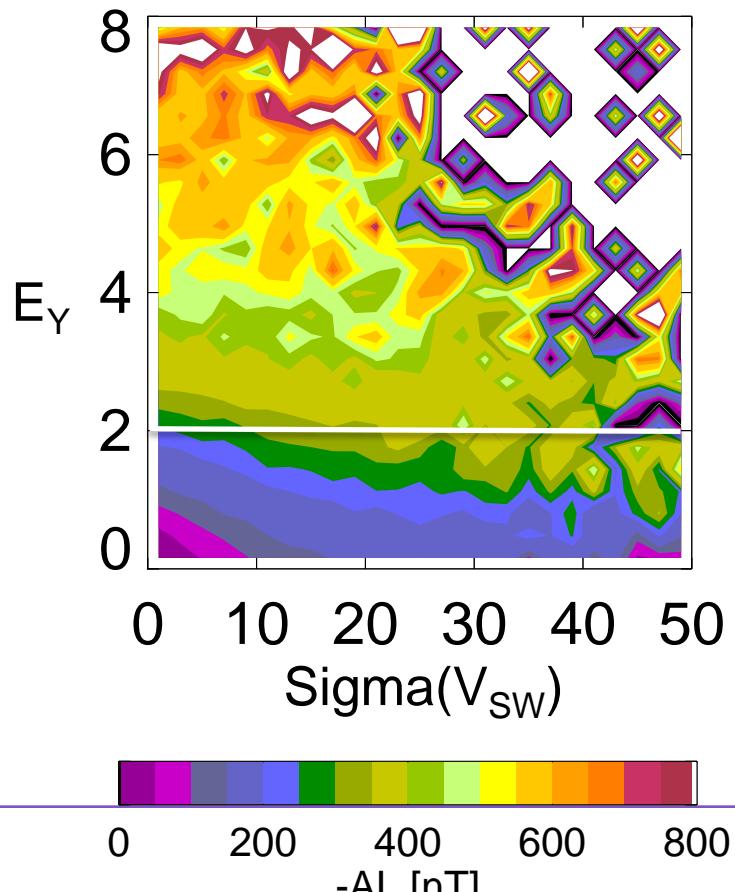


# Scaled Values at the Magnetopause

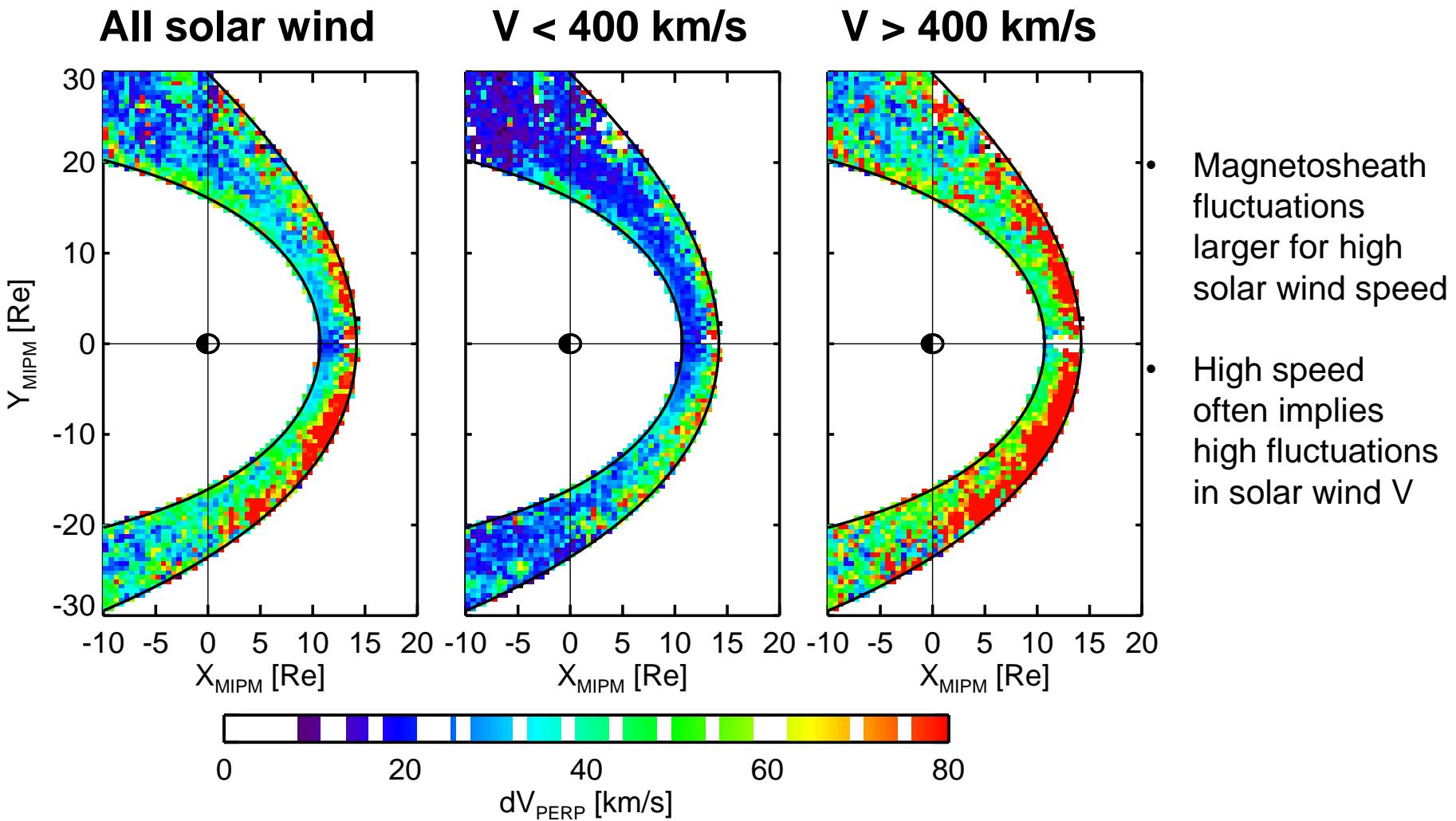


# Higher variability produces higher AL

*AL as function of solar wind electric field and speed variance*

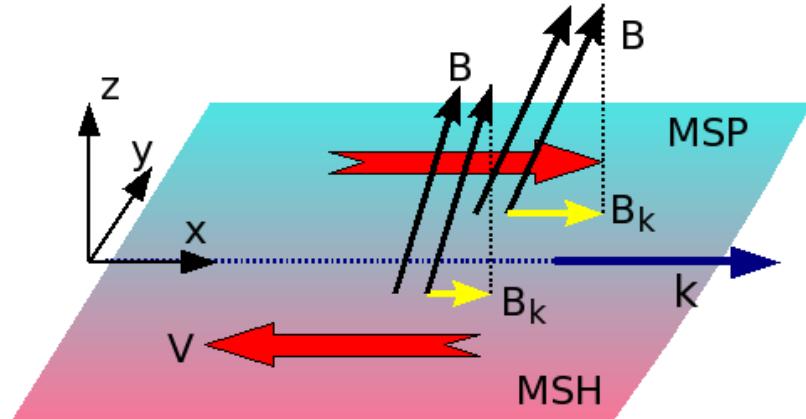
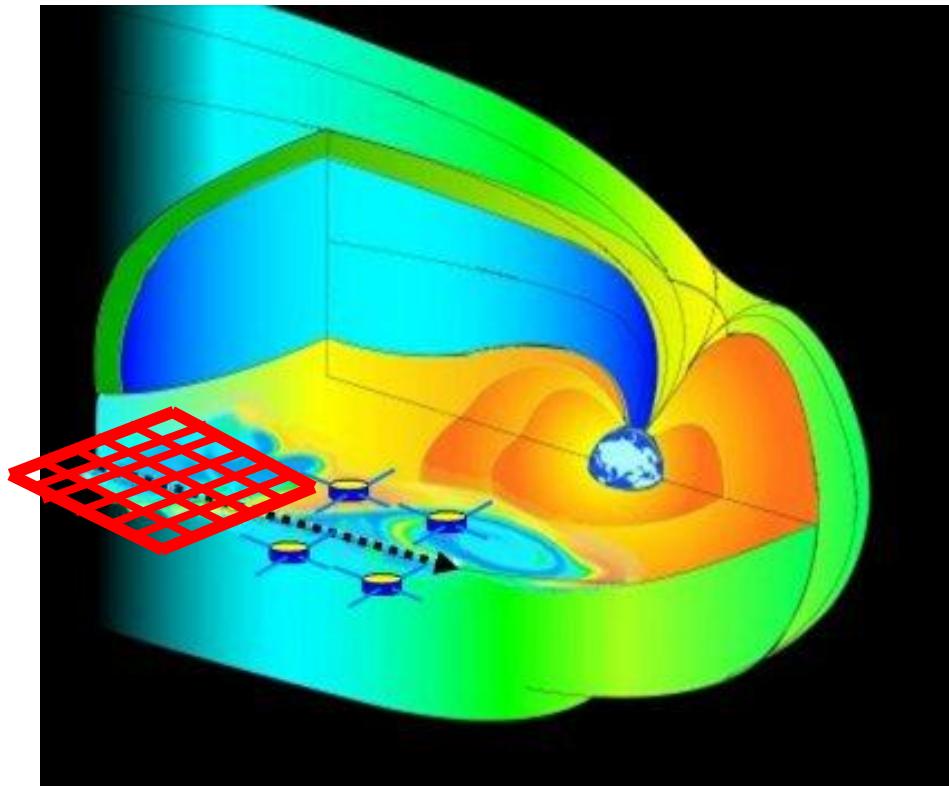


# Plasma after shock crossing: *Magnetosheath perpendicular velocity fluctuations*



# Local MHD simulations

## *Kelvin-Helmholz instability at magnetopause*



**Onset condition for KHI**

$$\frac{m_0 n_1 n_2}{n_1 + n_2} [\mathbf{k} \cdot \Delta \mathbf{V}]^2 > \frac{1}{0} (\mathbf{k} \cdot \mathbf{B}_1)^2 + (\mathbf{k} \cdot \mathbf{B}_2)^2$$

# Magnetosheath fluctuations enhance reconnection and plasma transport

Magnetosheath fluctuations change KHI dynamics:

- timing of reconnection onset
- amount of reconnected material

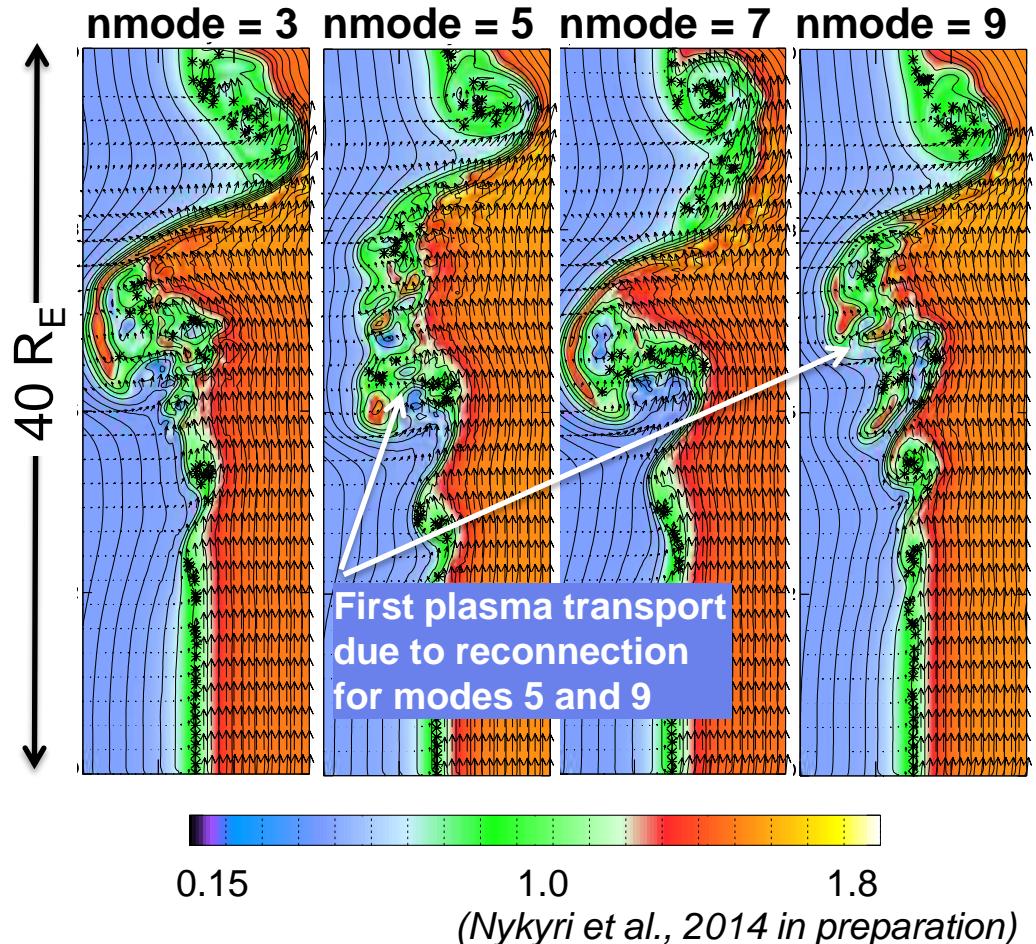
Single mode analysis:

- Pc3-frequency range fluctuations produce plasma transport first

Multi-mode analysis (Pc2-Pc5):

- Non-linear interaction of modes affects KHI dynamics and reconnection timing

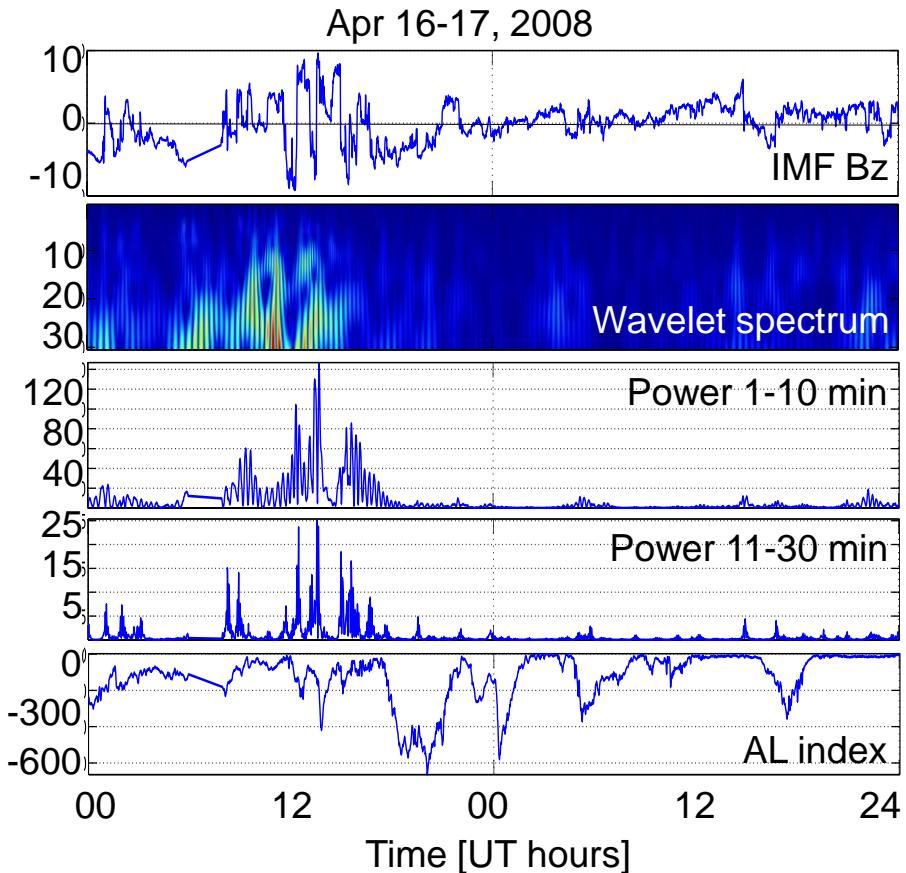
## Plasma velocity and density



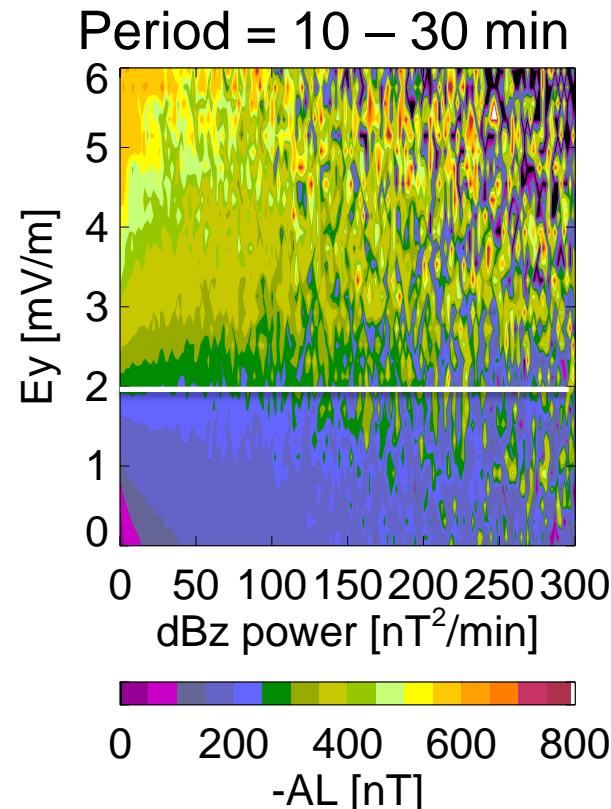
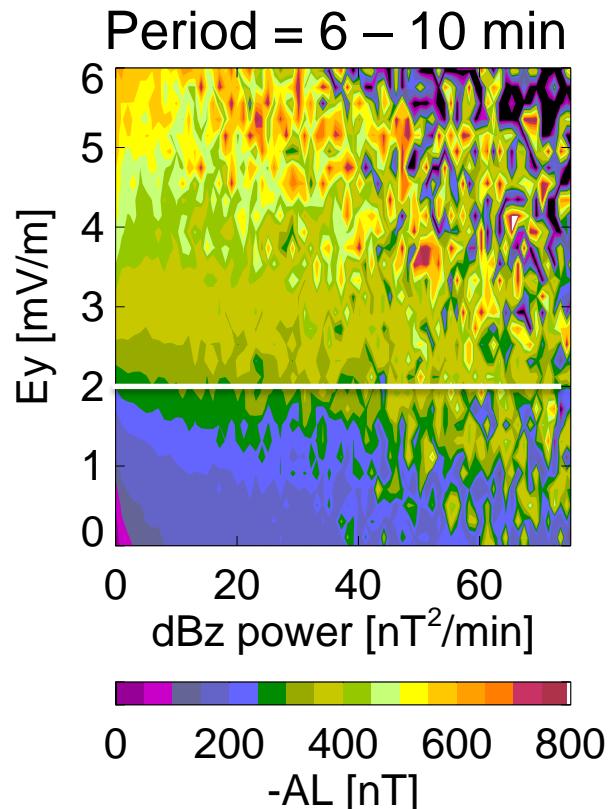
# OMNI statistical analysis: *Wavelet analysis of IMF fluctuations*

**Wavelet spectrum power integrated over range of frequencies**

- 1-10 min -> ULF power
- 10-30 min -> lower frequency fluctuations



# ULF fluctuations in $B_z$ drive higher AL



# Conclusions

1. For all driver functions, **higher V produces stronger AL** compared to similar value of driver function but with lower V
2. Electric field transport from solar wind to magnetosheath more efficient when **V is higher -> higher driver at magnetopause**
3. For all driver functions, **higher level of fluctuations produces stronger AL** compared to similar average with less fluctuations
4. **ULF waves** are especially **efficient in driving AL activity**
5. **Magnetosheath fluctuations** are larger when **V is higher**
6. **ULF waves drive KHI at magnetopause** which enhances **reconnection and plasma transport -> stronger AL**

